

IDENTITIES IN $(X(Y Z))Z$ WITH LOOP GRAPH VARIETIES OF TYPE $(2, 0)$

AMPORN ANANTPINITWATNA AND TIANG POOMSA-ARD

Abstract

Graph algebras establish a connection between directed graphs without multiple edges and special universal algebras of type $(2, 0)$. We say that a graph G satisfies a term equation $s \approx t$ if the corresponding graph algebra $A(G)$ satisfies $s \approx t$. A class of graph algebras V is called a graph variety if $V = \text{Modg}\Sigma'$ where Σ' is a subset of $T(X) \times T(X)$. A graph variety $V' = \text{Modg}\Sigma'$ is called an $(x(yz))z$ with loop graph variety if Σ' is a set of $(x(yz))z$ with loop term equations. In this paper we characterize identities in each $(x(yz))z$ with loop graph varieties. For identities, varieties and other basic concept of universal algebra see e.g. [3].

Keywords : Varieties, Binary algebra, Graph algebras, Term, $(x(yz))z$ with loop graph varieties, Identities in $(x(yz))z$ with loop graph varieties

2000 Mathematics Subject Classification: 05B25, 08B15